

# The equivariant cohomology and $K$ -theory of a cohomogeneity-one action

*Jeffrey D. Carlson* (*University of Toronto*),  
jcarlson@math.toronto.edu

We compute the Borel equivariant cohomology and equivariant  $K$ -theory of a cohomogeneity-one action of a connected, compact Lie group on a topological space  $M$ , obtaining more explicit expressions in the event  $M$  is a manifold.

The  $K$ -theoretic result requires the principal isotropy groups be connected with torsion-free fundamental group, but does not require extension to rational coefficients. Along the way we are forced to something close to a classification of the permissible systems of isotropies of such an action. We also unexpectedly obtain results regarding the Mayer–Vietoris sequence and cohomology of a mapping torus in an arbitrary multiplicative equivariant cohomology theory.

The cohomological portion of this work is joint with Oliver Goertsches, Chen He, and Liviu Mare.

---

This work was partially supported by the National Center for Theoretical Sciences (Taipei).